| Page | HW | Class | Topic |
| :---: | :---: | :---: | :--- |
| 23 | 1.42 | 1.41 | vectors of all types |
| 24 | 1.49 | 1.48 a | decomposing vectors |
| 24 | 1.54 | 1.54 | Cartesian basis vectors |
| 24 | 1.55 b | 1.55 a | planes |
| 24 | 1.56 a | 1.56 b | lines |
| 25 | 1.58 | 1.57 | curved motion $\#^{0}$ |
| 25 | 1.59 a | 1.59 b | tangent planes |
| 25 | 1.64 b | 1.64 a | normal vectors |
| 53 | 2.37 ac | 2.37 b | elementary operations |
| 53 | 2.38 a | 2.38 b | elementary operations |
| 53 | 2.40 c | 2.40 d | elementary operations |
| 54 | 2.53 AC | 2.53 B | elementary operations ${ }^{1}$ |
| 54 | 2.54 B | 2.54 A | elementary operations ${ }^{1}$ |
| 111 | 3.49 | - | linearity |
| 111 | 3.50 | - | one unknown |
| 111 | 3.51 bc | 3.51 ad | square systems of equations\# |
| 111 | 3.53 ab | 3.53 c | square systems of equations ${ }^{2}$ |
| 112 | 3.55 | 3.54 | rectangular systems |
| 112 | 3.57 bc | 3.57 a | bases |
| 113 | 3.62 a | 3.61 b | rectangular systems |
| 112 | 3.60 b | 3.60 a | unforced systems |
| 113 | 3.67 AB | 3.67 C | inverse matrices ${ }^{3}$ |
| 164 | 4.89 b | 4.89 a | linear dependence |
| 165 | 4.99 b | - | unforced systems* |
| 165 | 4.104 a | 4.104 b | rank |
| 232 | 6.47 b | 6.47 a | change of basis\# |
| 232 | 6.51 | 6.48 | change of basis\# |
| 232 | 6.49 | - | change of basis\# |
| 232 | 6.50 a | - | change of basis |
| 233 | 6.56 | - | change of basis |
| 273 | 7.75 a | 7.21 | orthogonalization |
| 301 | 8.42 a | 8.41 a | determinants ${ }^{4}$ |
| 336 | 9.46 | 9.47 | eigenvalues and diagonalization\# |
| 336 | 9.48 ab | 9.48 c | eigenvalues and diagonalization |
| 337 | 9.56 b | 9.56 a | principal axes ${ }^{5}$ |
| 337 | 9.57 b | - | principal axes ${ }^{5}$ |
| 337 | 9.58 a | 9.58 b | quadratic forms\# |
| 337 | 9.59 a | - | quadratic forms* |
|  |  |  |  |

*: Recommended question. Not required if you know you can do it.
\#: Make a graph.
${ }^{0} z$-component is $2 t \hat{k}$
${ }^{1}$ Use determinants.
${ }^{2}$ Answer for a is wrong.
${ }^{3}$ Use GE.
${ }^{4}$ Use both methods.
${ }^{5}$ Orthonormal matrix.
${ }^{6}$ The value of $b_{21}$ in the first column is 2 , not 4 . Be careful not to make errors in the determinant. Since $u$ and $v$ are nonunique, find those that result from Gram-Schmidt orthogonalization of the basis of the null space.

Also: Make exam 2 of 1998. Give yourself 50 minutes. Include your solutions with homework set Lin IV and grade yourself using the solutions on the web after you get it back.

